

A NOVEL CLASS OF CONTINUITY VIA $(\Lambda, \delta S)$ -CLOSED SETS

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Abstract: In this paper, we introduce the $(\Lambda, \delta S)$ - continuity via $(\Lambda, \delta S)$ - closed sets and the theorems based on them are discussed with counterexamples. Moreover, we entitle the Quasi $(\Lambda, \delta S)$ continuity, Perfect $(\Lambda, \delta S)$ - continuity, Totally $(\Lambda, \delta S)$ - continuity, Strongly $(\Lambda, \delta S)$ - continuity, Contra $(\Lambda, \delta S)$ - continuity by applying $(\Lambda, \delta S)$ - closed sets.

Keywords and Phrases: $(\Lambda, \delta S)$ -closed set, $(\Lambda, \delta S)$ - continuity, Quasi $(\Lambda, \delta S)$ continuity, Perfect $(\Lambda, \delta S)$ - continuity, Totally $(\Lambda, \delta S)$ - continuity, Strongly $(\Lambda, \delta S)$ - continuity, Contra $(\Lambda, \delta S)$ - continuity.

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1. Introduction

In topology and its applications, the concept of a closed set is fundamental. Many researchers have defined classes of closed sets (see [1, 2, 5, 10, 11]); through them, new definitions of compactness and continuity have been found, see [10, 13]. From this point of view, we have defined a new class of open sets, namely $(\Lambda, \delta S)$ - closed sets. Park. et al. (1997) introduce the notion of δ - semi-open sets, which are stronger than semi-open sets but weaker than δ - open sets. Georgiou (2004) developed the theory on generalization of δ - closed sets which is named as (Λ, δ) - closed sets using Λ - operator in terms of δ . In 2014, Binod Chandra Tripathy introduced the concept of generalized b-closed sets with respect to an ideal in