

**SUM CONNECTIVITY MATRIX AND ENERGY OF A  
 $T_2$  HYPERGRAPH**

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**Abstract:** Let  $H$  be a  $T_2$  hypergraph with  $n \geq 4$ . The sum connectivity matrix of  $H$ , denoted by  $SC(H)$  is defined as the square matrix of order  $n$ , whose  $(i, j)^{th}$  entry is  $\frac{1}{\sqrt{d_i+d_j}}$  if  $x_i$  and  $x_j$  are adjacent and zero for other cases. The sum connectivity energy  $SCE(H)$  of  $H$  is the sum of the absolute values of the eigenvalues of  $SC(H)$ . It is shown that, for a  $T_2$  hypergraph  $[SCE(H)] \leq [1 + n - \sqrt{\frac{n}{\delta}}]$ , where  $\delta$  is the minimum degree of  $H$ .

**Keywords and Phrases:**  $T_2$  hypergraph, sum connectivity matrix, sum connectivity energy.

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## 1. Introduction

The basic definitions and terminologies of a hypergraph are not given here and we refer to it [1] and [5]. The concept of hypergraph was introduced by Berge in 1967. In 2017, Seena V and Raji Pilakkat introduced Hausdorff hypergraph,