

## $\omega$ -INTERPOLATIVE ĆIRIĆ-REICH-RUS TYPE CONTRACTIONS IN $M$ -METRIC SPACE

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**Abstract:** In this paper, we generalize the concept of  $\omega$ -interpolative Ćirić-Reich-Rus Type Contractions in the framework of  $M$ -metric spaces, to find the fixed points and proved some fixed points results for such mappings. Moreover an illustration is provided to support our applicability of obtained results.

**Keywords and Phrases:**  $\omega$ -interpolative Ćirić-Reich-Rus Type contraction,  $M$ -metric space,  $\omega$ -orbital.

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### 1. Introduction and Preliminaries

In 2014, Mehdi Asadi et al. [4] introduced the concept of  $M$ -metric space which has a nonzero self distance, as a generalization of metric space. Erdal Karapinar [4] established interpolative contraction to prove existence of fixed points in Metric space. He states that: "For a metric space  $(X, d)$ , the self mapping  $T : X \rightarrow X$  is said to be an interpolative kannan type contraction, if there are constants  $\lambda \in [0, 1)$  and  $\alpha \in (0, 1)$  such that

$$d(Tx, Ty) \leq \lambda[d(x, Tx)]^\alpha[d(y, Ty)]^{1-\alpha},$$

for all  $x, y \in X$  with  $x \neq Tx$ ."

In this paper we wield such interpolative contraction using  $\omega$ - admissible functions. The notion of  $\omega$ -orbital admissible maps was introduced by Popescu as a refinement